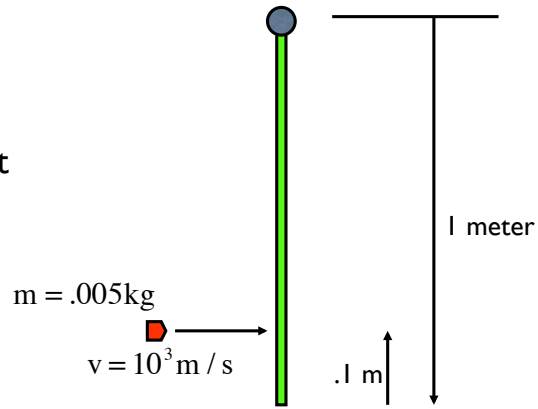


8.56.) a.) The bullet has angular momentum equal to  $mvd$ , where “d” is the distance between the bullet’s strike point and the hinge. That is, it’s the evaluation of  $r \times p$ .



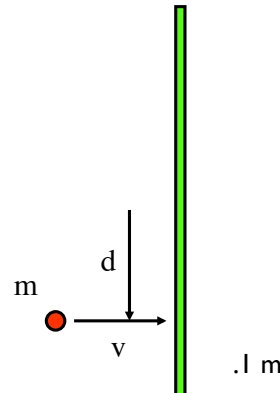
b.) Mechanical energy is never conserved through a collision unless you are told otherwise.

c.) As angular momentum is conserved, we can write:

$$\begin{aligned} \sum L_1 + \sum \Gamma_{\text{ext}} \Delta t &= \sum L_2 \\ mvd + 0 &= m(v_{\text{new}})(d) + I_{\text{rod}} \omega \\ \Rightarrow mvd &= m(d\omega)d + \left( \frac{1}{3} ML^2 \right) \omega \end{aligned}$$

1.)

a.) ALTERNATE PROBLEM: A meter stick that is not pinned to the frictionless table it sits on is struck by a puck a distance “d” units from the m.s.’s center. The puck sticks to the meter stick upon collision.



b.) Mechanical energy is never conserved through a collision unless you are told otherwise.

c.) As angular momentum is conserved, we can write:

$$\begin{aligned} \sum L_1 + \sum \Gamma_{\text{ext}} \Delta t &= \sum L_2 \\ mvd + 0 &= m(v_{\text{new}})(d) + I_{\text{rod}} \omega \\ \Rightarrow mvd &= m(d\omega)d + \left( \frac{1}{3} ML^2 \right) \omega \end{aligned}$$

2.)